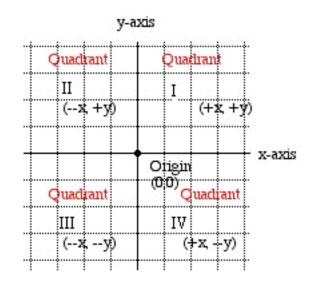
**Cartesian Coordinate System** (aka\_1\_) is a horizontal number line (the \_2\_-axis) intersecting with a vertical number line (the \_3\_-axis) at right angles at the zero coordinates of each line (the \_4\_).



**Quadrants** are the four areas of the Cartesian coordinate system formed by the <u>5</u> number lines. Quadrants are designated by <u>6</u> numerals from I to IV beginning in the upper right and proceeding counterclockwise.

**x-axis** is the \_\_\_7\_\_ number line. From 0 to the left is \_\_\_8\_\_, from 0 to the right is \_\_\_9\_\_.

**y-axis** is the \_\_\_10\_\_ number line. From 0 down is \_\_\_11\_\_, from 0 up is \_\_\_12\_\_.

The **Origin** is the intersection of the two \_\_\_13\_\_\_ at their zeros, thus its coordinates are (\_\_14a\_\_,\_\_14b\_\_).

A **Point** is any \_\_15\_\_ on the Cartesian coordinate system. Every point has a \_\_16\_\_ and a \_\_17\_\_ component that establish its position on the coordinate plane in relation to the \_\_18\_\_.

An **Ordered Pair** is the pair of \_\_19\_\_ that specify the location of a \_\_20\_\_ on the coordinate plane in relation to the Origin. The ordered pair gives the \_\_21\_\_ to the point from the Origin. \_\_22\_\_ means that the x-coordinate ALWAYS comes first and the y-coordinate ALWAYS comes second, separated by a \_\_23\_\_: (x, y).

The **x-coordinate** gives the \_\_\_24\_\_ and \_\_\_25\_\_ of the point from the origin along the \_\_\_26\_\_ number line, the x-axis. The x-coordinate will ALWAYS be listed \_\_\_27\_\_ in an ordered pair.

The **y-coordinate** gives the distance and direction of the point from the origin along the \_\_\_28\_\_\_ number line, the y-axis. The y-coordinate will ALWAYS be listed \_\_\_29\_\_\_ in an ordered pair.

**Plot**: to locate a \_\_\_\_\_30\_\_\_ on the coordinate system starting at the origin and using the ordered pair of \_\_\_\_\_31\_\_\_, first x then y.

**linear equation**: an equation in one or more \_\_\_\_32\_\_\_ in which no exponent has a power other than \_\_\_\_33\_\_\_. Called <u>linear</u> because the graph of a linear equation in two

variables is a <u>34</u>.

The **Standard Form** of a Linear equation in two variables is: ax + by = c, where a, b, and c are \_\_\_\_35\_\_\_ Numbers and x and y are \_\_\_\_36\_\_\_ in \_\_\_37\_\_\_ order. Ex: 3x - 2y = 18

The **Solution of a linear equation** in two variables is the set of all \_\_\_38a&b\_\_\_ that satisfy (make a \_\_\_39\_\_\_ statement of) the equation. When we try to graph all the ordered pairs, we will get a \_\_\_40\_\_\_.

To graph a line: using one of three methods, establish two or more points on the line and draw the line through those points. Lines on the coordinate system are  $\__41\_$  and extend to  $\__42\_$  in both directions.

## Three Methods to graph a line:

43 (aka the Pick Three method).
44 :
45 :

**The graph of a line**: the \_\_\_\_46\_\_\_ of the solution set of a linear equation in two variables on the coordinate system.

An ordered pair is **on the line** when its coordinates are a \_\_\_\_47\_\_\_ to the equation. To find out, \_\_\_\_48\_\_\_ the x-coordinate for the variable \_\_\_\_49\_\_\_ and the y-coordinate for the variable \_\_\_50\_\_\_ and simplify. If the statement is true, then the point is on the line. This is the same as

**Intercepts**: the point where the line  $\_52\_$  one of the axes. The name of the intercept specifies which axis is crossed and which coordinate will probably have a value other than 0. The only time both coordinates are  $\_53\_$  is when the line intercepts the  $\_54\_$ .

The **x-intercept** is where the line crosses the \_\_55\_\_- axis and has coordinates ( $_56a_$ ,  $_56b_$ ). The name is the **x-intercept** so we are looking for a value for the \_\_57\_\_-coordinate and the y-coordinate is \_\_58\_\_\_0.

The **y-intercept** is where the line crosses the \_\_\_59\_\_- axis and has coordinates (\_\_59a\_, \_\_59b\_\_). The name is the **y-intercept** so we are looking for a value for the \_\_\_60\_\_- coordinate and the x-coordinate is ALWAYS \_\_\_61\_\_\_.

**Slope**: the \_\_\_\_62\_\_\_ in the y-coordinates between two points on the same line \_\_\_\_63\_\_\_ by the change in the x-coordinates of the \_\_\_\_64\_\_\_ two points. We use the letter  $\underline{m}$  to represent slope because it is \_\_\_\_64\_\_\_.

The slope tells us the <u>65</u> of Change between points on the same line.

It also gives \_\_\_\_66\_\_\_ from a point on a line to another point on the same line.

The slope is often referred to as the **Rise** over the **Run**.

**Rise**: the <u>67</u> in the y-coordinates between two points on the same line, usually written as  $y_2 - y_1$ .

**Run**: the <u>68</u> in the x-coordinates between two points on the same line, usually written as  $x_2 - x_1$ .

## **Slope - Intercept Equation**: $y = ___69___x + ___70___$

Two lines graphed on the same set of axes will be **parallel**, **perpendicular**, or **neither**.

**Parallel** lines have the same \_\_\_75\_\_\_ and different \_\_\_76\_\_\_.

**Perpendicular** lines intersect at \_\_\_\_77\_\_\_ angles and their slopes are \_\_\_\_78a\_\_\_\_78b\_\_\_ reciprocals (product is a negative 1)

If not parallel or perpendicular, then **neither**. This means the two equations could be graphed with the \_\_\_79\_\_\_ line or their intersection does not form \_\_\_80\_\_ angles.

The graph of a linear equation will be one of four possible lines:

**Rising line:** line slants \_\_\_\_\_\_ from left to right on the graph. The slope is ALWAYS \_\_\_\_\_\_82\_\_\_. IS a function.

**Falling line:** line slants \_\_\_\_83\_\_\_ from left to right on the graph. The slope is ALWAYS \_\_\_\_84\_\_\_. IS a function.

**Horizontal line:** line is straight across the graph from left to right, neither rising nor falling. The slope is ALWAYS \_\_\_\_85\_\_\_, or \_\_\_\_86\_\_\_ slope. IS a function.

Vertical line: line is straight up and down the graph. The slope is ALWAYS \_\_\_87\_\_\_ (see Division Involving Zero). \_\_\_88\_\_\_ a function!!

**Point - Slope Equation Form:**  $y - y_1 = m(x - x_1)$  or

 $y = \mathbf{m}(x - \mathbf{x}_1) + \mathbf{y}_1$ 

When we know the <u>89</u>, m, and the <u>90</u> of a point  $(x_1, y_1)$ , we can use the Point - Slope form to write the equation, usually in slope – intercept form (y = mx + b).

**Input**: the value typed in or used for \_\_\_\_91\_\_\_ in the expression or function being \_\_\_\_92\_\_\_.

**Output**: the <u>93</u> value, Y1 on the graphing calculator, of the expression or function using the input value.

**function**: a special case of mathematical statement where an \_\_\_\_94\_\_\_ is matched to only one \_\_\_\_95\_\_\_.

**function notation**: f(x) = ax + b*f* is the \_\_\_\_96\_\_\_ of the function *x* tells us what value to  $\__{97}$  for the variable ax + b (an  $\__{98}$ , just like in Unit 1) tells us how to calculate the value of the function ( $\__{99}$  the function for the given value)

*x* is the \_\_\_100\_\_\_, the calculated value of *f*(*x*) is the \_\_\_101\_\_\_.

**domain of a function**: the set of all values that may be \_\_\_\_102\_\_\_ to the function. All the numbers that are \_\_\_\_103\_\_\_ to be used for the input variable, usually *x*. All the numbers that are allowed to \_\_\_\_105\_\_\_ *x*.

**range of a function**: the set of all of the possible values that will result from \_\_106\_\_ the function for an \_\_107\_\_. All the possible \_\_109\_\_ of the function. What we get when we replace *x* and evaluate to find \_\_*110*\_\_.